

outrata_1990_ex2

This problem was introduced in [1, page 274]. It has six variants depending on the choice of $H(x)$ and Ω that can be tested by loading the different coefficient data provided by this library.

$$\begin{aligned} & \underset{x,y}{\text{minimise}} && \frac{1}{2} ((y_1 - 3)^2 + (y_2 - 4)^2) \\ & \text{subject to} && x \geq 0 \\ & && y \in \arg \min_{(y_1, y_2) \in \Omega} \frac{1}{2} y^\top H(x) y - (3 + 1.333x)y_1 - xy_2 \\ & && \Omega = \left\{ (y_1, y_2) \in \mathbb{R}_+^2 \mid \begin{array}{l} -0.333y_1 + y_2 \leq 2, \\ y_1 - 0.333y_2 \leq 2. \end{array} \right\} \end{aligned}$$

References

- [1] Jiří V Outrata. On the numerical solution of a class of stackelberg problems. *Zeitschrift für Operations Research*, 34(4):255–277, 1990.